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Zorn M

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索引

符号索引*				
		Δ_F (对角线函数)		1.3.8
\mathbb{R} (实数集)	1.0.0	βX (X 的 Stone-Čech 紧化)		1.3.11
ω (自然数集或最小的无限序数)	1.0.0	$\mathcal{F} _A$ (\mathcal{F} 在 A 的限制)		1.4.6
\mathbb{N} (正整数集)	1.0.0	$\bigoplus_{\alpha \in \Lambda} X_\alpha$ (空间族的拓扑和)	1.4.8, 1.6.7	
\mathbb{I} (单位闭区间)	1.0.0	$\text{st}(x, \mathcal{P})$ (\mathcal{P} 在 x 的星)		1.5.1
\mathbb{Q} (有理数集)	1.0.0	$\text{st}(A, \mathcal{P})$ (\mathcal{P} 在 A 的星)		1.5.1
\mathbb{P} (无理数集)	1.0.0	id_X (X 上的恒等函数)		1.6.8
S_1 (收敛序列)	1.0.0	\mathbb{R}^n (欧几里得空间)		2.1.2
ZFC(Zermelo-Fraenkel-Choice 公理)	1.0.0	\mathbf{H} (Hilbert 空间)		2.1.3
ZF(Zermelo-Fraenkel 公理)	1.0.0	$B_d(x, \varepsilon)$ (球形邻域)		2.1.4
$\prod_{\alpha \in \Lambda} X_\alpha$ (空间族的积空间)	1.1.11	$B(x, \varepsilon)$ (球形邻域)		2.1.4
$f(\mathcal{P})$ (\mathcal{P} 在 f 的象)	1.1.8	$d(A)$ (A 的直径)		2.1.6
$f^{-1}(\mathcal{F})$ (\mathcal{F} 在 f 的逆象)	1.1.8	$\text{ind}X$ (X 的小归纳维数)		2.1.10
p_B (投影函数)	1.1.11, 4.6.5	$\text{Ind}X$ (X 的大归纳维数)		2.1.10
X^A (X 的积空间)	1.1.12	$\text{dim}X$ (X 的覆盖维数)		2.1.10
\mathbb{I}^A (Tychonoff 方体)	1.1.12	$B(\lambda)$ (Baire 零维空间)		2.1.12
ω_1 (第一个不可数序数)	1.2.7	$d(A, B)$ (A 与 B 之间的距离)		2.2.1
$\beta \mathbb{N}$ (\mathbb{N} 的 Stone-Čech 紧化)	1.2.8	$d(x, A)$ (x 与 A 之间的距离)		2.2.1
$f _A$ (f 在 A 的限制)	1.2.11	ccc (可数链条件)		2.2.8
f_B (f 在 B 的限制)	1.2.11	\mathbb{I}^ω (Hilbert 方体)		2.3.4'
cX (X 的紧化)	1.3.7	$w(X)$ (X 的权)		2.6.1
ωX (X 的一点紧化)	1.3.7	S_2 (Arens 空间)		3.1.7
		S_ω (序列扇)		3.1.8
		(f, M, X, \mathcal{P}) (Ponomarev 系)		3.3.0
		$\psi(\mathbb{N})$ (Gillman-Jerison 空间)		3.4.16

* 按书中出现的先后次序排列

$S_{\omega_1}(\omega_1 \text{ 扇})$	3.6.9	$C_p C_p(X)(C_p(C_p(X, \mathbb{R}), \mathbb{R}))$	4.6.12
Δ (对角线, 对角线函数)	4.1.0, 4.5.2	$L_p(X)$ (线性拓扑子空间)	4.6.12
A^{-1} (A 的逆)	4.1.0, 4.2.3	$\{X, \alpha\}$ (遗传闭的紧网络)	5.0.0
$A \circ B$ (A 与 B 的复合)	4.1.0	$d(X)$ (X 的稠密度)	5.0.0
$A[x]$ (A 在 x 的象)	4.1.0	$\chi(X)$ (X 的特征)	5.0.0
$C(X)$ (连续函数空间)	4.3.0	$c(X)$ (X 的胞腔度)	5.0.0
$[A, B]$ (满足 $f(A) \subset B$ 的连续函数 f 之集)	4.3.0	$nw(X)$ (X 的网络权)	5.1.0
	4.3.0	$\alpha nw(X)$ (X 的 α 网络权)	5.1.0
$C_p(X, L)$ (具点开拓扑的连续函数空间)		$ww(X)$ (X 的弱权)	5.1.4
	4.3.1	$w_\alpha(X)$ (X 的 α 权)	5.1.4
$C_k(X, L)$ (具紧开拓扑的连续函数空间)		$\psi(X)$ (X 的伪特征)	5.2.0
	4.3.1	$\Delta(X)$ (X 的对角线数)	5.2.0
$C_\alpha(X, L)$ (具集开拓扑的连续函数空间)		$w\alpha c(X)$ (X 的弱 α 覆盖数)	5.2.0
	4.3.1	$\alpha a(X)$ (X 的 α -Arens 数)	5.2.10
	4.3.2	$\pi\chi(X)$ (X 的 π 特征)	5.2.10
$X \leq L$ (L 的拓扑较精于 X 的拓扑)	4.3.2	$\pi w(X)$ (X 的 π 权)	5.3.0
$C_w(X, L)$ (最大集开拓扑的连续函数空间)		$\alpha\alpha nw(X)$ (X 的 α - α 网络权)	5.3.0
	4.3.2	$\log(\lambda)$ (λ 的对数)	5.3.7
$\hat{M}(A)$ (函数空间一致结构子基的元)	4.4.0	$J(\kappa)$ (刺猬空间)	5.3.8
$C_{\alpha, \mu}(X, L)$ (一致收敛拓扑空间)	4.4.0	$t(X)$ (X 的 tightness)	5.4.0
		$\alpha L(X)$ (X 的 α -Lindelöf 数)	5.4.0
$C_\mu(X, L)$ (一致收敛拓扑空间)	4.4.0	$L(X)$ (X 的 Lindelöf 数)	5.4.0
$C_\rho(X, L)$ (上确界度量拓扑空间)	4.4.6	$ft(X)$ (X 的扇 tightness)	5.4.7
$\{x_d\}_{d \in D}$ (网)	4.4.11	CH(连续统假设)	5.6.10
f^* (诱导函数)	4.5.5	$W(f, S, \varepsilon)$ (f 的基本邻域)	6.0.4
e (赋值函数)	4.5.11	$C_p(Y X)$ (相对函数空间)	6.0.8
e_x (x 的赋值函数)	4.5.13		

词组索引*			
		compactification)	1.3.7
\aleph 空间(\aleph -space)	3.6.7	Alexandroff 双圆拓扑(Alexandroff's double circles topology)	3.4.11
\aleph_0 空间(\aleph_0 -space)	3.6.7	Alexandroff-Urysohn 度量化定理 (Alexandroff-Urysohn metrization theorem)	2.3.e
\aleph_1 紧空间(\aleph_1 -compact space)	2.2.8	Arens 空间(Arens space)	3.1.7
α - α 网络权(α - α -netweight)	5.3.0	Arhangel'skii-Pytkeev 定理 (Arhangel'skii-Pytkeev theorem)	5.4.3
α -Arens 数(α -Arens number)	5.2.10	Asanov 定理(Asanov theorem)	5.4.5
α -Lindelöf 数(α -Lindelöf number)	5.4.0	Ascoli-Arzelà 定理(Ascoli-Arzelà theorem)	4.6.11
α_R 空间(α_R -space)	5.6.2	Ascoli 定理(Ascoli theorem)	4.6.11
α 覆盖(α -covering)	5.2.10	B	
α 权(α -weight)	5.1.4	Baire 范畴定理(Baire category theorem)	1.7.5
α 网络(α -network)	4.5.7	Baire 空间(Baire space)	1.7.5
α 网络权(α -netweight)	5.1.0	Baire 零维空间(Baire's zero-dimensional space)	2.1.12
α 序列(α -sequence)	5.5.0	Banach 范畴定理(Banach category theorem)	1.7.7
π 特征(π -character)	5.2.10	Bing-Nagata-Smirnov 度量化定理 (Bing-Nagata-Smirnov metrization theorem)	2.3.3
π 基(π -base)	5.3.0, 6.1.0	Bing 度量化准则(Bing metrization criterion)	2.3.11
π 权(π -weight)	5.3.0	Birkhoff 度量化定理(Birkhoff metrization theorem)	4.2.5
σ 闭包保持族(σ -closure-preserved family)	1.5.7	Burke-Engelking-Lutzer 度量化定理 (Burke-Engelking-Lutzer metrization theorem)	3.6.13
σ 局部有限族(σ -locally finite family)	1.4.4		
σ 离散族(σ -discrete family)	1.5.4		
ω 覆盖(ω -covering)	5.2.10		
ω 聚点(ω -accumulation point)	1.2.2		
ω_1 扇(ω_1 -fan)	3.6.9		
A			
Alexandroff 定理(Alexandroff theorem)	2.6.8		
Alexandroff 紧化(Alexandroff			

* 中文按拼音字母顺序排列

半紧(hemicompact)	5.2.10	超拓扑性质(supertopological property)	6.0.2
胞腔度(cellularity)	5.0.0	超限归纳法(transfinite induction)	3.6.10
逼近(approximation)	4.5.7	稠密度(density)	5.0.0
闭 k 网络(closed k-network)	3.3.11	次可度量化(submetrizable)	5.2.4
闭包保持族(closure-preserving family)	1.4.3	刺猬空间(hedgehog)	5.3.8
闭加细(closed refinement)	1.4.1	D	
闭嵌入(closed embedding)	1.3.7	代数(algebra)	4.6.0
闭网络(closed network)	4.3.0	单位分解(partition of unity)	1.4.14
闭映射(closed mapping)	1.1.9	单位分解定理(unit partition theorem)	1.4.15
边界 L 映射(boundary L-mapping)	3.6.8	等度连续性(equicontinuity)	4.6.6
边界紧映射(boundary compact mapping)		等距(isometric)	2.5.9
	2.4.6	底拓扑空间(underlying topological space)	
C			4.3.1
Cantor 定理(Cantor theorem)	2.5.3	第二范畴集(second category set)	1.7.5
Cantor 集(Cantor set)	2.6.7	第二可数空间(second countable space)	2.2.8
Cantor 三分集(Cantor's middle-third set)		第一范畴集(first category set)	1.7.5
	2.6.7	第一可数空间(first countable space)	1.2.6
Cauchy 网(Cauchy net)	5.6.0	点开拓扑(point-open topology)	4.3.1
Cauchy 序列(Cauchy sequence)	2.5.1	点可数基(point-countable base)	3.3.3
Čech 完全空间(Čech-complete space)	1.7.2	点可数族(point-countable family)	3.3.3
cfp 覆盖(cfp-covering)	3.4.4	点态收敛(pointwise convergent)	4.4.13
cfp 网络(cfp-network)	3.5.1	点态收敛拓扑(pointwise convergence topology)	4.3.1
Cohen 定理(Cohen theorem)	1.6.11	点态有界(pointwise bounded)	4.6.9
cosmic 空间(cosmic space)	5.1.0	点星加细(point-star refinement)	1.5.1
C_p 理论(C_p -theory)	6.0.0	点有限族(point-finite family)	1.4.e
cs*网络(cs*-network)	3.5.9	蝶形拓扑(butterfly topology)	3.2.11
cs 网络(cs-network)	3.5.9	度量(metric)	2.1.1
C 嵌入(C-embedded)	5.1.5	度量公理(metric axiom)	2.1.1
常态映射(proper mapping)	1.3.6	度量化引理(metrization lemma)	4.1.8

度量空间(metric space)	2.1.1	theorem)	2.4.7
度量拓扑(metric topology)	2.1.5	HCP 族(HCP family)	3.6.1
对角线函数(diagonal function)	1.3.8	Hewitt-Marczewski-Pondiczery 定理	
对角线数(diagonal number)	5.2.0	(Hewitt-Marczewski-Pondiczery theorem)	
对角线引理(diagonal lemma)	1.3.8, 4.5.2		5.0.3
对偶定理(duality theorem)	5.2.5	Hilbert 方体(Hilbert cube)	2.3.4'
对偶空间(dual space)	4.6.12	Hilbert 空间(Hilbert space)	2.1.3
E			
Engelking 定理(Engelking theorem)	2.6.6	Hurewicz 定理(Hurewicz theorem)	2.1.10
		Hurewicz 空间(Hurewicz space)	6.2.3
F			
Foged 定理(Foged theorem)	3.6.6	函数闭集(functionally closed set)	2.1.10
		函数开集(functionally open set)	2.1.10
Fortissimo 拓扑(Fortissimo topology)	6.2.12	函数空间(function space)	4.3.1
Fréchet 空间(Fréchet space)	3.1.5	和函数(sum function)	4.5.16
F_σ 集(F_σ -set)	1.5.10	环(ring)	4.2.1
J			
仿紧空间(paracompact space)	1.4.2	Jones 猜想(Jones conjecture)	2.3.12
分离点(separate points)	1.3.8	积函数(product function)	4.5.18
分离点与闭集(separate point from closed set)		积空间(product space)	1.1.11
	1.3.8	积拓扑(product topology)	1.1.11
复合函数(composition function)	4.3.5	基数函数(cardinal function)	5.0.0
赋值函数(evaluation function)	4.5.11	极大紧化(maximal compactification)	
覆盖(covering)	1.1.0		1.2.8, 1.3.11
G			
Gillman-Jerison 空间(Gillman-Jerison space)		极小 cfp 覆盖(minimal cfp-covering)	3.5.3
	3.4.16	极小 sn 覆盖(minimal sn-covering)	3.3.e
G_δ 对角线(G_δ -diagonal)	5.2.0	极小覆盖(minimal covering)	3.3.10
		极小内部覆盖(minimal interior covering)	
G_δ 集(G_δ -set)	1.2.e		3.3.7
广义可数(virtually countable)	5.5.7	集开拓扑(set-open topology)	4.3.1
H			
Hanai-Morita-Stone 定理(Hanai-Morita-Stone		集态正规空间(collectionwise normal space)	
			2.3.8

几乎互不相交族(almost disjoint family)	3.4.16	k 覆盖(k-covering)	5.2.10
		k 空间(k-space)	1.6.4
几乎 σ 紧空间(almost σ -compact space)	5.2.0	k_R 空间(k_R -space)	5.6.2
		k 网络(k-network)	3.3.11
几乎满(almost onto)	4.5.6	k 网络权(k-netweight)	5.1.0
加群(additive group)	4.2.0	k 映射(k-mapping)	1.6.e
加细(refinement)	1.4.1	开加细(open refinement)	1.4.1
交换群(commutative group)	4.2.0	开映射(open mapping)	1.1.9
解析空间(analytic space)	6.2.3	可度量化空间(metrizable space)	2.1.5
紧覆盖映射(compact-covering mapping)	2.4.8	可数 tightness(countable tightness)	5.4.0
紧开拓扑(compact-open topology)	4.3.1	可数紧空间(countably compact space)	1.2.1
紧空间(compact space)	1.1.1	可数链条件(countable chain condition)	2.2.8
紧收敛拓扑(topology of compact convergence)	4.3.1	可数强扇 tightness(countable strong fan tightness)	5.4.8
紧网络(compact network)	4.3.0	可数扇 tightness(countable fan tightness)	5.4.7
紧映射(compact mapping)	1.3.4		
紧有限分解网络(compact-finite-partition network)	3.5.16	可数双商映射(countably bi-quotient mapping)	2.4.12
精确加细(precise refinement)	1.4.14	可展空间(development space)	2.3.10
局部 π 基(local π -base)	5.2.10		
局部紧空间(locally compact space)	1.6.1	L	
局部可数族(locally countable family)	3.6.10	Lašnev 空间(Lašnev space)	3.6.0
局部有限族(locally finite family)	1.2.3	Lindelöf 空间(Lindelöf space)	1.4.6
距离(distance)	2.1.1, 2.2.1	Lindelöf 数(Lindelöf number)	5.4.0
均匀连续(evenly continuous)	4.6.6	l 等价(l-equivalent)	4.6.14
		L 映射(L-mapping)	3.6.8
K		离散度量(discrete metric)	2.1.5
Katětov-Morita 定理(Katětov-Morita theorem)	2.1.10	离散拓扑(discrete topology)	1.2.12
		离散族(discrete family)	1.5.4
König 引理(König lemma)	1.1.e	连续函数空间(space of continuous functions)	
Kuratowski 定理(Kuratowski theorem)	2.5.4		

	4.3.1	Polish 空间(Polish space)	2.6.e, 5.6.8
连续统假设(continuum hypothesis)	5.6.10	Ponomarev 定理(Ponomarev theorem)	3.3.2
零维空间(zero-dimensional space)	2.1.10	Ponomarev 系(Ponomarev system)	3.3.0
M		Pytkeev 定理(Pytkeev theorem)	6.3.2
Michael-Nagami 定理(Michael-Nagami theorem)	3.5.5	P 空间(P-space)	6.2.0
Q			
Michael-Nagami 问题(Michael-Nagami problem)	3.5.6	q 点(q-point)	5.2.11
Michael 定理(Michael theorem)	1.5.8	q 空间(q-space)	5.2.11
Michael 空间(Michael space)	3.6.14	q 序列(q-sequence)	5.2.11
Michael 直线(Michael line)	1.5.10	齐性空间(homogeneous space)	1.7.7
Mišćenko 引理(Mišćenko lemma)	3.3.10	嵌入函数(embedding function)	1.3.7
monolithic 空间(monolithic space)	6.1.4	强 Fréchet 空间(strongly Fréchet space)	2.4.3
Moore-Smith 网(Moore-Smith net)	4.4.11	强 k 网络(strong k-network)	3.5.16.D
Moore 空间(Moore space)	2.3.10	强离散族(strongly discrete family)	5.6.13
Morita 定理(Morita theorem)	2.6.1	强零维空间(strongly zero-dimensional space)	2.1.10
N		球形邻域(ball neighborhood)	2.1.4
Nagata 定理(Nagata theorem)	4.6.13	全 λ 有界(totally λ -bounded)	5.1.10
Niemytzki 切圆盘拓扑(Niemytzki's tangent disc topology)	6.1.9	权(weight)	2.6.1
内射(injection)	4.5.1	群(group)	4.2.0
O		R	
逆紧映射(perfect mapping)	1.3.4	R 商拓扑(R-quotient topology)	6.0.7
粘合空间(identification space)	1.5.8	R 商映射(R-quotient mapping)	6.0.7
O		弱第一可数空间(weakly first-countable space)	3.1.6
欧几里得度量(Euclidean metric)	2.1.2	弱 α 覆盖数(weak α -covering number)	5.2.0
欧几里得空间(Euclidean space)	2.1.2	弱权(weak weight)	5.1.4
P		弱拓扑(weak topology)	1.6.4
perfect	2.2.4	弱终于(weakly eventually in)	4.4.11
picket fence 拓扑(picket fence topology)	2.3.12	S	

Smirnov 删除序列拓扑(Smirnov's deleted sequence topology)	2.3.5	Tukey 引理(Tukey lemma)	1.1.11
Sorgenfrey 直线(Sorgenfrey line)	5.4.4	Tychonoff 方体(Tychonoff cube)	1.1.12
stable 空间(stable space)	6.1.4	Tychonoff 积定理(Tychonoff product theorem)	1.1.12
Stone-Čech 紧化(Stone-Čech compactification)	1.2.8, 1.3.11	Tychonoff 紧扩张定理(Tychonoff's compact extension theorem)	1.3.9
Stone-Weierstrass 定理(Stone-Weierstrass theorem)	4.6.4	Tychonoff 拓扑(Tychonoff topology)	1.1.11
Stone 定理(Stone theorem)	2.2.5	特征(character)	5.0.0
Suslin 直线(Suslin line)	2.3.4'	同构(isomorphism)	4.6.13
s 映射(s-mapping)	3.3.4	同胚(homeomorphism)	1.1.9
扇 tightness(fan tightness)	5.4.7	同态(homomorphism)	4.6.13
商空间(quotient space)	1.5.8	投影函数(projective function)	1.1.11, 4.6.5
商映射(quotient mapping)	1.5.8	拓扑和(topological sum)	1.4.8, 1.6.7
上确界度量(supremum metric)	4.4.6	拓扑环(topological ring)	4.2.1
上确界度量拓扑(supremum metric topology)	4.4.6	拓扑群(topological group)	4.2.1
收缩(retraction)	4.5.13	拓扑同构(topological isomorphism)	4.6.13
收缩核(retract)	4.5.13	拓扑向量空间(topological vector space)	4.2.6
双箭空间(two arrows space)	5.4.6	U	
双商映射(bi-quotient mapping)	2.4.12	Urysohn 度量化定理(Urysohn metrization theorem)	2.3.4
双射(bijection)	2.6.9	Urysohn 空间(Urysohn space)	6.0.6
选择公理(choice axiom 或 axiom of choice)	1.0.0, 1.1.11	Urysohn 引理(Urysohn lemma)	1.2.11
T		W	
Tietze 扩张定理(Tietze extension theorem)	1.2.11	wcs*网络(wcs*-network)	3.5.e
tightness	5.4.0	Weierstrass 逼近定理(Weierstrass approximation theorem)	4.6.4
Tukey 度量化定理(Tukey metrization theorem)	2.3.13	Weil 度量化定理(Weil metrization theorem)	4.1.9
		Whitehead 定理(Whitehead theorem)	1.6.10
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完全一致空间(complete uniform space)	5.6.0	序列扇(sequential fan)	3.1.8
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网络权(netweight)	5.1.0	序数空间(space of ordinal numbers)	1.2.7
伪度量(pseudo-metric)	2.3.2	序拓扑(order topology)	1.2.7
伪度量空间(pseudo-metric space)	2.3.2	Y	
伪基(pseudo-base)	3.5.e	严格 Fréchet 空间(strictly Fréchet space)	5.5.0
伪紧空间(pseudo-compact space)	1.2.9	一点紧化(one-point compactification)	1.3.7
伪距离(pseudo-distance)	2.3.2	一一加细(one-to-one refinement)	1.4.14
伪开映射(pseudo-open mapping)	3.2.4	一致结构(uniformity)	4.1.1
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X		一致收敛(uniformly convergent)	4.4.13
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相对函数空间(relative function space)	6.0.8	一致收敛拓扑(topology of uniform convergence)	4.4.0
相对开函数(relatively open function)	1.1.9	一致拓扑(uniform topology)	4.1.3
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序列紧空间(sequentially compact space)	1.2.5	因子引理(factorization lemma)	6.1.1
序列开集(sequentially open set)	3.1.0	映射(mapping)	1.1.8
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有界集(bounded set)	5.6.e	Arhangel'skiĭ A(俄, 1938-)	2.3.6
有限补拓扑(finite complement topology)		Artin E(奥, 1898-1962)	3.3.6
	1.1.7	Arzelà C(意, 1847-1912)	4.0.0
有限交性质(finite intersection property)	1.1.1	Ascoli G(意, 1843-1896)	4.0.0
有限特征(finite character)	1.1.11	Baire R(法, 1874-1932)	1.7.5
酉代数(unitary algebra)	4.6.0	Banach S(波, 1892-1945)	1.7.7
右半开区间拓扑(right half-open interval topology)	5.4.4	Bing R H(美, 1914-1986)	1.5.4, 2.3.10
		Birkhoff G D(美, 1884-1944)	1.2.8, 2.3.10,
右序拓扑(right order topology)	1.2.13		4.2.5
诱导函数(induced function)	4.5.4	Birkhoff G(美, 1911-1996)	3.1.7, 4.2.5
Z		Bolzano B(捷, 1781-1848)	1.2.1
Zermelo 良序定理(Zermelo well-ordering theorem)	1.5.5	Boone J R	3.4.13
		Borel É(法, 1871-1956)	1.1.0
Zorn 引理(Zorn lemma)	3.3.6	Borges C	3.3.12
粘合空间(identification space)	1.5.8	Borsuk K(波, 1905-1982)	4.5.13
展开(development)	2.3.10	Bourbaki N(法)	1.3.4
正规 Moore 空间猜想(normal Moore space conjecture)	2.3.12	Burke D K	1.5.10
直径(diameter)	2.1.6	Cantor G(德, 1845-1918)	2.5.3
指数函数(exponential function)	4.6.7	Carathéodory C(德, 1873-1950)	1.3.7
终于(eventually in)	3.1.0	Cartan H(法, 1904-)	1.3.4
子覆盖(subcovering)	1.1.0	Cauchy A L(法, 1789-1857)	2.1.3
字典序(lexicographic ordering)	5.4.6	Čech E(捷, 1893-1960)	1.2.8
自然内射(natural injection)	4.5.16	Chevalley C(法, 1909-1984)	1.3.4
自然映射(natural mapping)	1.6.7	Chittenden E W(美, 1895-1977)	2.3.0, 2.3.10
		Cohen D E	1.6.11
		Cohen P J(美, 1934-)	5.6.10
人名索引		Delsarte J(法, 1903-1968)	1.3.4
Ahlfors L(芬, 1907-1996)	1.4.6	Dieudonné J(法, 1906-1992)	1.0.0, 1.3.4
Alexandroff P S(苏, 1896-1982)	1.1.0, 2.3.6	Dini U(意, 1845-1918)	4.0.0
Arens R(美, 1919-2000)	3.1.7	Dowker C H(加, 1912-1982)	1.1.11, 1.6.11

Dugundji J(美, 1919-1985)	3.6.15	Kummer E(德, 1810-1893)	2.5.3
Engelking R(波)	1.2.8	Kuratowski K(波, 1896-1980)	1.2.8, 2.5.4
Filippov(俄)	3.3.8	Lašnev N(俄)	3.6.0
Fitzpatrick Jr B(美, 1932-2000)	2.3.10	Lebesgue H(法, 1875-1941)	1.1.0
Fox R(美, 1913-1973)	1.1.11, 4.0.0	Lefschetz S(美, 1884-1972)	1.1.11
Fraenkel A(德, 1891-1965)	1.0.0	Leja F(波, 1885-1979)	4.2.1
Franklin S P	3.1.0	Lelek A	6.2.3
Fréchet F(法, 1878-1973)	2.0.0, 4.0.0	Lindelöf E(芬, 1870-1946)	1.4.6
Gillman L	3.4.16	Lindemann F(德, 1852-1939)	2.1.3
Gödel K(美, 1906-1978)	5.6.10	Lutzer D J	3.2.11
Gruenhage G(美)	3.3.12	Luzin N(苏, 1883-1950)	1.1.0, 4.1.7
Hadamard J(法, 1865-1963)	4.0.0	Marczewski E(波, 1907-1976)	1.7.7
Hahn H(波, 1879-1934)	2.1.10, 5.6.10	Mazurkiewicz S(波, 1888-1945)	1.7.7, 4.5.13
Hanai S(日)	2.4.0	McAuley L F	3.2.11
Hausdorff F(德, 1868-1942)	1.1.4	McCoy R A	4.3.1
Heath R W	2.3.12	Michael E	1.0.0, 3.2.11, 3.3.12
Henriksen M(美, 1927-)	6.2.0	Miščenko A(俄)	3.3.10
Hensel K(德, 1861-1941)	1.0.0	Moore E H(美, 1862-1932)	2.3.0, 2.3.10, 4.2.5
Hewitt E(美, 1920-1999)	5.0.3	Moore R L(美, 1882-1974)	1.5.4, 2.3.10
Hilbert D(德, 1862-1943)	1.7.7, 2.1.3	Morita K(日, 1915-1995)	2.1.10
Hurewicz W(波, 1904-1956)	2.1.10, 3.6.15	Nagami K(日)	1.1.e
Janiszewski Z(波, 1888-1920)	2.5.4	Nagata J(日, 1925-)	2.3.0
Jones F B(美, 1910-1999)	2.3.10, 3.2.11	Niemytzki V V(苏)	6.1.9
Katětov M(捷, 1918-1995)	2.1.10	Poincaré J H(法, 1854-1912)	4.2.5
Kelley J L(美, 1917-1999)	1.1.12	Ponomarev V(俄)	3.0.0
Knaster B(波, 1893-1980)	6.2.3	Pontryagin L S(苏, 1908-1988)	文献
Kodama Y(日)	1.1.e	Riesz F(匈, 1880-1956)	1.1.7
Kolmogorov A N(苏, 1903-1987)	4.1.7	Rudin M E(美, 1924-)	2.3.10
König D(匈, 1884-1944)	1.1.e	Schwarz H A(德, 1843-1921)	1.0.0
König G(匈, 1849-1913)	1.1.e	Sierpiński W(波, 1882-1969)	1.7.7, 2.5.4

Smirnov Ju(苏, 1921-)	2.3.0	张素诚(1916-)	1.6.10
Smith H L(美, 1893-1957)	2.3.10		
Sorgenfrey R H(美, 1915-1996)	2.3.10, 3.1.0		
Steinhaus H(波, 1887-1972)	1.7.7		
Stone A H(美, 1916-2000)	1.1.11, 1.5.0		
Stone M H(美, 1903-1998)	1.2.8		
Suslin M(苏)	2.3.4'		
Tamano H(日)	3.4.13		
Tanaka Y(日)	3.3.12		
Tarski A(波, 1902-1983)	3.4.16		
Tietze H(奥, 1880-1964)	1.1.5		
Tukey J W(美, 1915-2000)	1.1.11		
Tychonoff A(苏, 1906-1993)	1.1.11		
Urysohn P S(苏, 1898-1924)	1.1.0		
Veblen O(美, 1880-1960)	1.6.10, 2.3.10		
Vietoris L(奥, 1891-2002)	1.1.e		
Weierstrass K(德, 1815-1897)	1.2.1, 2.5.3		
Weil A(法, 1906-1998)	1.3.4, 4.1.0		
Whitehead A N(英, 1861-1947)	1.6.10		
Whitehead J H C(英, 1904-1960)	1.6.10		
Whyburn G T(美, 1904-1969)	1.1.12, 2.3.10		
Worrell Jr J	2.3.10		
Zermelo E(德, 1871-1953)	1.0.0		
Zorn M(德, 1906-1993)	3.3.6		
戴牧民(1937-)	2.3.12		
方嘉琳(1925-)	3.6.15		
高国士(1919-2003)	3.5.15		
蒋继光(1935-)	3.6.15		
蒲保明(1910-1988)	文献		
熊金城(1938-)	3.6.15		